

chapter (2)

Scrap Estimate

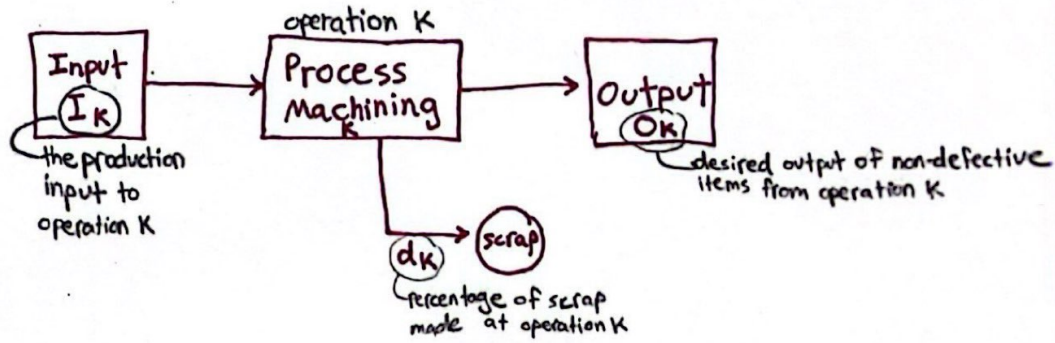
$$I_k = O_k + d_k I_k$$

or

$$O_k = I_k \cdot (1 - d_k)$$

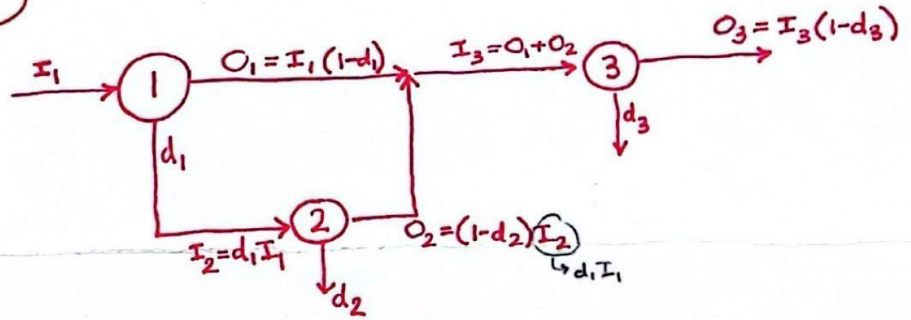
$$I_k = \frac{O_k}{1 - d_k}$$

$$I_1 = \frac{\text{final output}}{(1 - d_1)(1 - d_2)(1 - d_3) \dots}$$



Scrap Estimate with Rework

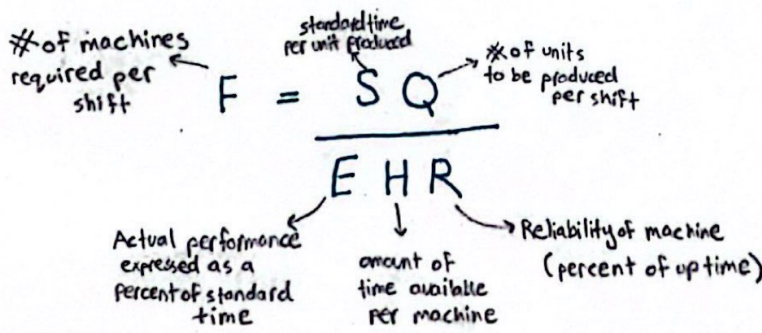
$$\text{Input} = \frac{\text{Final Output}}{(1 - d_3) [(1 - d_1) + d_1(1 - d_2)]}$$



*amount of scrap for process 3 → $(I_3 - O_3)$
input - output

Equipment Fraction

$$\text{Machine Fraction} = \frac{\text{Total required time to perform operation}}{\text{Total time available per machine.}}$$



- F can also be affected by:
- % of shifts
 - set up time
 - degree of flexibility - small lots or large lots
 - Layout type - process of product
 - Total productive machinery

Method (1) :-

Direct clustering Algorithm (DCA)

chapter 3
(Method 1 + 2)
[cluster identification is not here]

- ① sum the 1s in each column and each row of the machine part matrix
- ② order the rows (top to bottom) in descending order of the number of 1s in the rows
- ③ order the columns (left to right) in ascending order of the number of 1s in the columns
- ④ Sort the columns, beginning with the first row of the matrix, shift to the left all columns having 1s in the first row continue row by row until no further opportunity exists for shifting columns.
- ⑤ Sort the rows, beginning with the leftmost column, shift rows upward when opportunities exist to form blocks of 1s
- ⑥ Form cells such that all processing for each part occurs in a single cell.

Method (2) :-

Rank Order Clustering Algorithm

- ① Assign binary weight $BW = 2^{m-j}$ to each column j of the part machine processing indicator matrix. not method (2) (not precise)
- ② Determine the decimal equivalent DE of the binary value of each row i using the formula

$$DE_i = \sum_{j=1}^m 2^{m-j} a_{ij}$$
- ③ Rank the rows in decreasing order of their DE values. break ties arbitrarily.
Rearrange the rows based on this ranking, if no rearrangement is necessary → stop, otherwise go to step ④
- ④ For each rearranged row of the matrix, assign binary weight $BW_i = 2^{n-i}$ not method (2) (not precise)
- ⑤ Determine the decimal equivalent of the binary value of each column j using the formula

$$DE_j = \sum_{i=1}^m 2^{n-i} a_{ij}$$
- ⑥ Rank the columns in decreasing order of their DE values. break ties arbitrarily
Rearrange the columns based on this ranking, if no rearrangement is necessary → stop, otherwise go to step ④

Cluster Identification algorithm

1. Select any row and cross it
2. For each crossed 1 make a vertical line
3. For each crossed 1 make a horizontal line
4. Repeat until all the 1s are crossed by a vertical line or by a horizontal line
5. Form a cell from all the machines and components which were crossed
6. Remove all the crossed elements (machines and components) and start again

Chapter (4)

Personnel Requirements

6" (inch) → 0.5' (feet)

inch → $\frac{\text{in}}{12}$ = feet

* Employee Parking

- W1 (single Loaded wall to wall [with bumpers])
- W2 (double Loaded wall to wall [with continuous concrete curb])
- W3 (double Loaded wall to ~~wall~~ with sawtooth concrete curb)
- (W4) (double Loaded CL to CL [or CL to walkedge])

(Public Transportation is not available) 1 space for every 1.25 employees

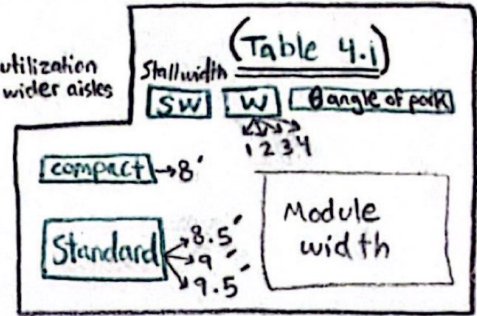
(Transportation available) 1 space for every 3 employees

[select the best Layout that best utilize space and maximize convenience]

No walking edge
+
No walls

compact
standart
handicapped

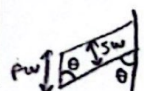
90° (perpendicular) → greater space utilization although it have wider aisles
other angle (with angle) → allows quicker turnover



in angular

$$PW = \frac{SW}{\sin \theta}$$

Parking width



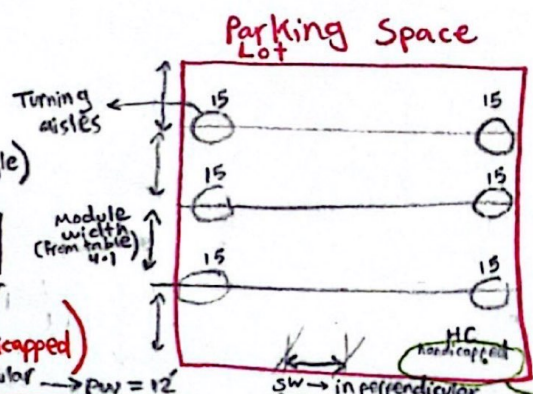
in angular

$$Y = SD \cos \theta$$

Stall depth

(distance lost due to parking at an angle)

$$\text{Module Depth} = Y + (\% \text{ of stalls}) \times PW$$



(Depth)

- Notes:
- At least (2) handicapped spaces per (100) parking spaces
 - employees are not required to walk more than (300-400) feet from their parking space place to the entrance of facility
 - Percentage of compact cars is 33% if the question didn't determine it
 - sw for handicapped = 12'
 - Parking at an angle reduces ^{module width} but have less parking spaces than perpendicular parking

Row 1 → $\frac{\text{Total width} - (12' \times \% \text{ of handicapped})}{\sin \theta}$ → usually for standard

Row 2 → before the last row → $\frac{\text{Total width} - 30' \text{ turning aisle}}{\sin \theta}$ → either for standard or for compact

Last Row → $\frac{\text{Total width}}{\sin \theta}$ → usually for compact

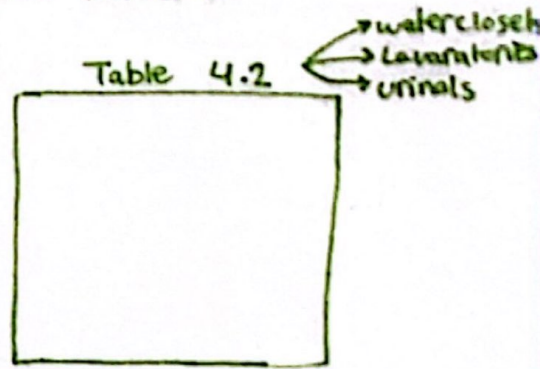
* **Storage for employees personal belongings**

6 ft² → For each person using the Locker room

* **Restrooms**

→ should be located within (200 ft) of every permanent workstation

smaller decentralized restrooms > Large centralized restrooms
more convenient than



- each Entrance → 15 ft²
- each Toilet → 15 ft² or 12.5 ft²
- each sink → 6 ft²
- each urinal (for male) → 6 ft²
- each water closet → 15 ft²
- each Lavaratories → 6 ft²
- each bed/cot (women) → 60 ft²

* of bed or cot	* of employees
1	< 100
2	100 < * of employees < 250
*	one additional bed should be provided for each additional 250 female employees

في كل الأسئلة

	Male	Female
*	⋮	⋮
*	⋮	⋮
*	⋮	⋮
Sub Total	<input type="text"/>	Sub Total
Allowance	$\% \times \text{Sub Total}$	$\% \times \text{Sub Total}$
Total Area	$\text{Sub Total} + \text{Allowance}$	$\text{Sub Total} + \text{Allowance}$

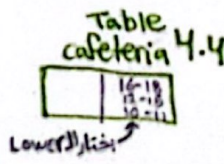
* **Food Services**

→ firms views it as necessity, convenience, luxury or
located within 1000 feet of permanent employee workstations

Four main meal Options:

• Dining Away

• Vending Machines and cafeteria → Commercial, Industrial, Banquet



- water fountains within 200 ft of workstation

200 emp * Serving Line and cafeteria
300 ft²/line (each line can serve 70 persons)

400 emp * Full Kitchen and cafeteria
Service line space + cafeteria space
(I use total number of employees)

Service line = $\frac{\text{* of emp}}{70}$
300 x = Service line
interpolation equal to



* **Health Services** → Minimum 100 ft² space

- waiting Room → (75 ft²) for the first nurse + (25 ft²) per additional nurse
- First Aid Room → (250 ft²) per nurse
- Examination Room → (150 ft²) per physician

Example 4.1:

- 200 employees, 1 space for every 2 employees, ^{30%}40% compact cars, 5% for handicap, and available parking space 180X200ft
- Assuming no walls, and no walking edge. } w_4
- Use SW of 8' 6" for standard cars
- Determine the best parking layout

حفظ
space for handicapped \Rightarrow 12' each one

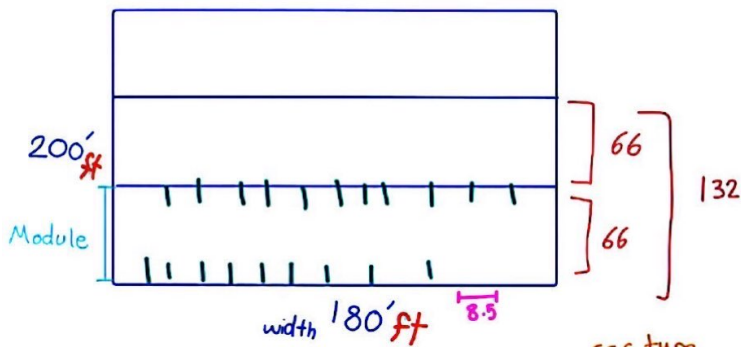
$200 \text{ employee} \times \frac{1 \text{ parking space}}{2 \text{ employee}} = 100 \text{ parking space required}$

$(90^\circ, w_4)$

$\%40 \cdot 100 = 40$ space for comp
30 space for compact

30 compact
70 standard

* The Parking Layout



car type

- * Compact $(90, 8') w_4 \rightarrow 57' 2''$
- * Standard $(90) w_4 \rightarrow 66$

* we need to see if the depth of the (200ft) can accommodate a parking layout using 2 module ??

Standard
compact

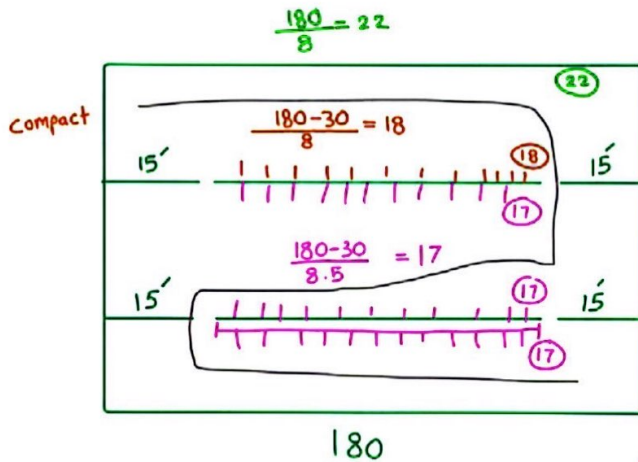
من طريق التجربة

* the most important is to satisfy customer

$1S + 1C = 123 \ll 200$

$2S + 2C = 132 + 114 = 246 \gg 200 \times$

$2S + 1C = 2(66) + 1(57' 2'') = 189' 2'' \ll 200$ ✓ the best



* the suggested layout is

$\frac{2 \text{ rows}}{\text{Module}} \times 2 S + \frac{2 \text{ rows}}{\text{Module}} \times 1 C = 6 \text{ Rows}$

$44 + 84 = 128 > 100$ ✓

5% handicapped

$12' \rightarrow$ handicapped
 $12' \times 5 = 60'$

Spaces for Standard in row 1 $\rightarrow \frac{180 - 60}{8.5} = 14$ spaces for Standard

5 spaces for handicapped

Angular parking

Monday, May 6, 2024 8:05 AM

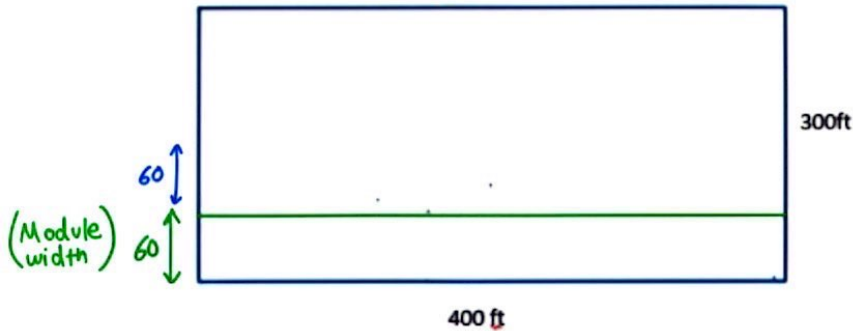
$\theta = 75^\circ$ $SD = 16'$

A parking lot is to be 400 feet wide and 300 feet deep. How many standard-sized cars fit in this lot? Use W4 Module, where the parking is angular with angle of 75, assume a stall depth of 16 feet. Determine the best parking layout using stall width, $SW = 8'6"$. + the managers wants exactly 10 stalls for handicapped and all are in the first row.

السؤال يريد
only standard cars.

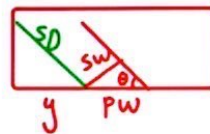
$SW = 8.5'$

Module for standard (8.5') $\rightarrow 60'$



* of Modules = $\frac{300 \text{ ft}}{60 \text{ ft}} = 5 \text{ modules}$ \rightarrow * of Rows = $2 \times 5 = 10 \text{ Rows}$ (double Loaded * of Modules)

* Row 1 = $\frac{400 - y - (PW_{HC} \times 10)}{PW}$
 = $\frac{400 - 4.1411 - (12.42 \times 10)}{8.8}$
 = 30.87 Rounddown $\rightarrow 30$ for row 1



$PW = \frac{SW}{\sin \theta} = \frac{8.5}{\sin 75} = 8.799 \text{ ft}$

$y = SD \times \cos \theta = 16 \times \cos 75 = 4.1411 \text{ ft}$

$PW_{HC} = \frac{SW_{HC}}{\sin \theta} = \frac{12'}{\sin 75} = 12.42$

Row 2 - Row 9 = $\frac{400 - 4.1411 - (15)2}{8.8} = 41.574 \approx 41$ (Turning aisles Round down)

Row 10 = $\frac{400 - 4.1411}{8.8} = 44.98 \approx 44$

Row(1)	10 HC 30 SC
Row(2-9)	41 SC
Row (10)	44 SC

chapter (5)

Efficiency of containers

① container space utilization = $\frac{\text{inside dimension}}{\text{outside dimension}}$

② Container nesting Ratio = $\frac{\text{overall container height}}{\text{nested height}}$

③ * Trailer space utilization determine how much containers are on $\left(\frac{\text{Trailer}}{\text{outside}}\right)$

* total number of full containers = $\text{Length} \times \text{width} \times \text{height}$

* Trailer space utilization = $\frac{\text{total number of containers} \times \text{inside dimension}}{\text{Trailer inside dimension}}$

④ number of empty containers in vertically (height) = $1 + \frac{\text{Trailer height} - \text{outside height}}{\text{nested height}}$

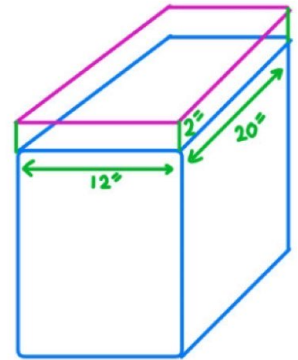
number of empty containers = containers vertically * Length * width

Trailer return Ratio = $\frac{\text{of empty containers fit in the trailer}}{\text{of full containers fit in the trailer}}$

Example:

Given the following dimensions of a particular type of plastic reusable containers:

- Inside dimensions 18"x 11"x11"
- Outside dimensions 20"x12"x12"
- Each nested container 20"x12"x2" الارتفاع الظاهر لما ندخل two containers
- A trailer inside dimension 240"x120"x120"
- Containers are not palletized. Assume no clearance is needed between containers, and between containers and the walls of the trailer



Determine the following:

1. Container space utilization.
2. Container nesting ratio.
3. Trailer space utilization (if all containers stacked vertically in only one orientation).
4. Trailer return ratio.

① Container Space utilization = $\frac{\text{inside dimension}}{\text{outside dimension}} = \frac{18 \times 11 \times 11}{20 \times 12 \times 12} = 75.625 \approx 76\%$

② Container nesting Ratio = $\frac{\text{container outside height}}{\text{nesting height}} = \frac{12}{2} = 6$

كل ما كانت أقل كل ما كان أفضل
(نهتم فقط بالارتفاع)

⇒ So (6) nested container use the same space as one closed container

③ Trailer Space Utilization =

* of Loaded containers that the trailer can take

(we need to determine how much container are in the

Length → $\frac{240}{20} = 12$ containers along the Length
width → $\frac{120}{12} = 10$ containers along the width
height → $\frac{120}{12} = 10$ containers along the height

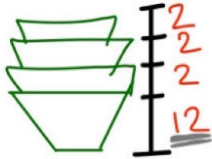
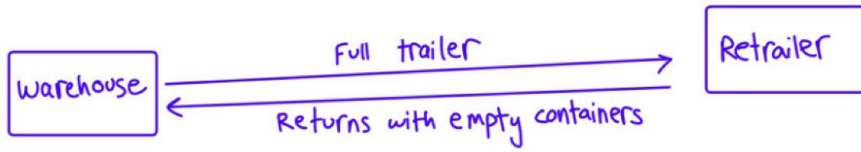
* so Total number of containers = $12 \times 10 \times 10 = 1200$ full containers

and now the trailer Utilization = $\frac{\text{* of container} \times \text{container inside dimension}}{\text{Trailer inside dimension}}$

= $\frac{1200 \times (18 \times 11 \times 11)}{240 \times 120 \times 120} = 76\%$

④ Trailer Return Ratio = $\frac{\# \text{ of empty containers fit in the trailer}}{\# \text{ of full containers fit in the trailer}}$

من القوي الخلل
1200



so number of containers stacked vertically = $1 + \frac{(120 - 12)}{2} = 1 + \frac{108}{2} = 55$ empty containers vertically

the height of the trailer
the first height
the nested height

*so total # of empty containers = $55 \times 12 \times 10 = 6600$ empty container

*Trailer Return Ratio = $\frac{\# \text{ of empty containers fits in the trailer}}{\# \text{ of full containers fits in the trailer}}$

= $\frac{6600}{1200}$

= 5.5

we want this number to be as high as possible

Systematic Layout planning procedure

(SLP)

(6.7) Develop a block Layout using SLP
 Four departments are to be located in a building of 600' x 1000' area requirements for departments are shown in Table below

(Develop from to chart)

Dep	A	B	C	D
A	0	375	125	365
B		0	400	620
C			0	400
D				0

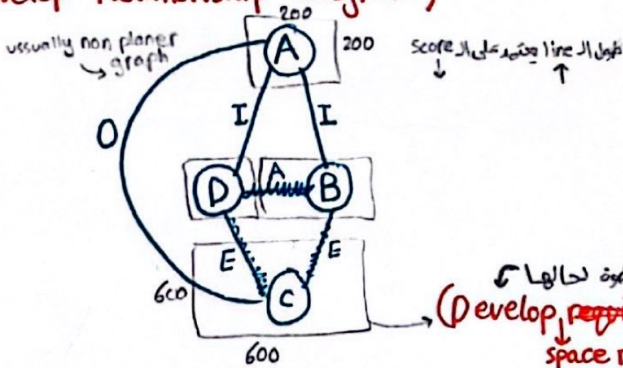
Dep	department dimension
A	200' x 200'
B	400' x 400'
C	600' x 600'
D	200' x 200'

try to make them adjacent
 [620] A → very bold
 [400] E
 [400] I
 [375] I
 [365] I
 [125] O

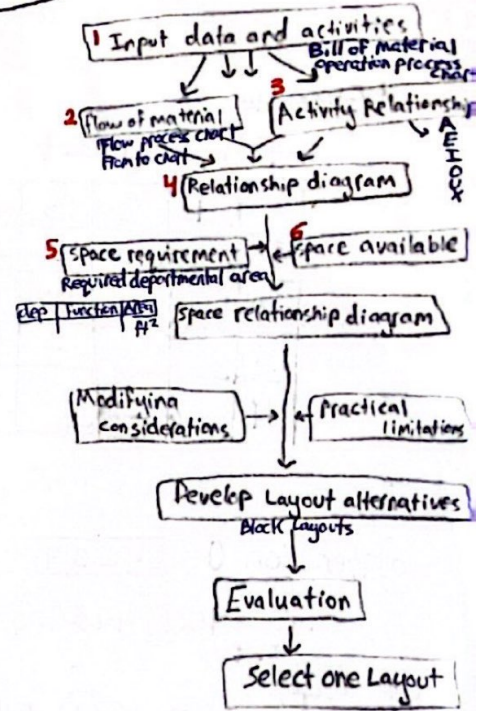
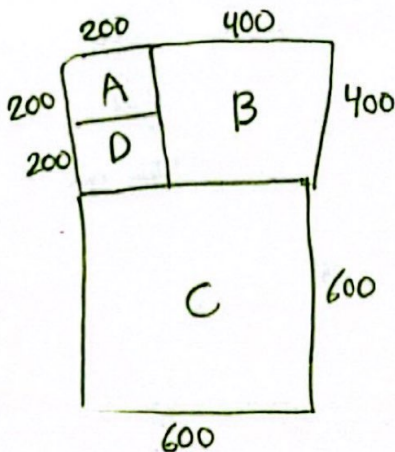
(Develop Activity Relationship Matrix)

Dep	A	B	C	D
A	-	I	O	I
B		-	E	A
C			-	E
D				-

(Develop Relationship diagram)



(Develop requirement diagram)
 space relationship



* Systematic Layout Planning (SLP)

6.7 Four departments are to be located in a building of $600' \times 1000'$. The expected personnel traffic flows and area requirements for the departments are shown in the tables below. Develop a block layout using SLP.

Dept.	A	B	C	D
A	0	250	25	240
B	125	0	400	335
C	100	0	0	225
D	125	285	175	0

Department	Department Dimension
A	$200' \times 200'$
B	$400' \times 400'$
C	$600' \times 600'$
D	$200' \times 200'$

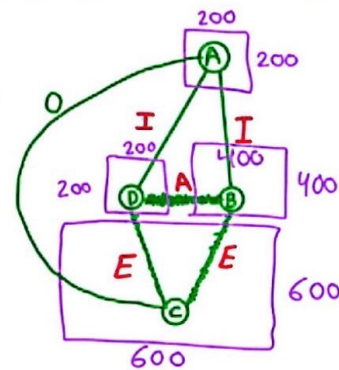
* Step ① Develop from to chart (ما بهوي Direction ال)

	A	B	C	D
A	0	375	125	365
B		0	400	620
C			0	400
D				0

620] A
400] E
400] I
375] I
365] I
125] O

* Step ③ Relationship Diagram

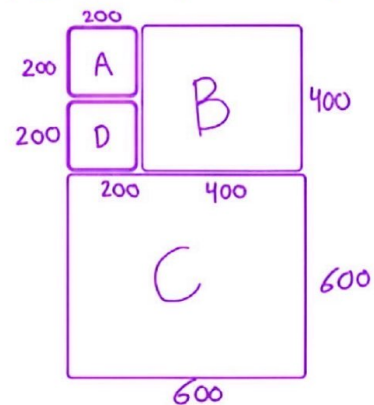
Proximity line booles



طول ال line
يعتمد على ال score

→ The purple color is for step ④

* Step ④ Space Relationship Diagram



(Block Layout)

→ Dimension for the facility

1000×600

* Step ② Develop Activity Relationship (matrix)

	A	B	C	D
A	-	I	O	I
B		-	E	A
C			-	E
D				-

من السؤال

$B = 400 \times 400$

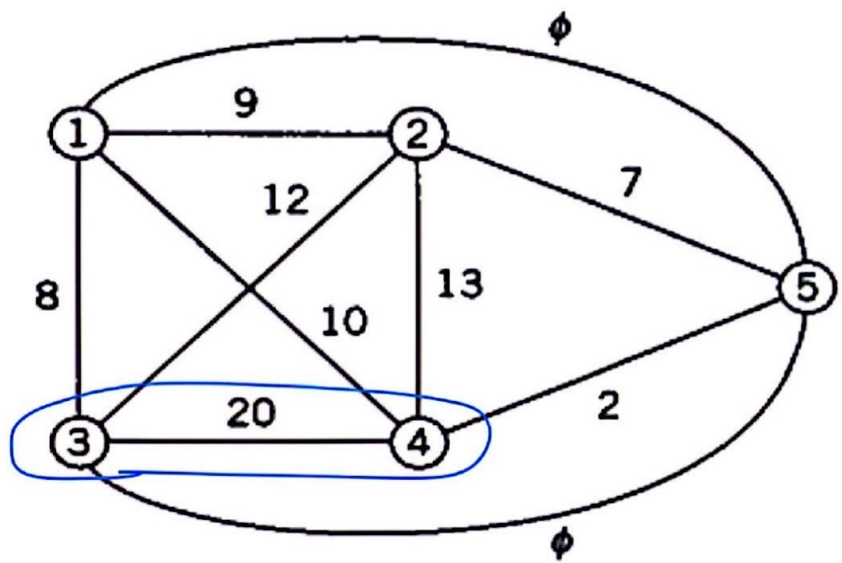
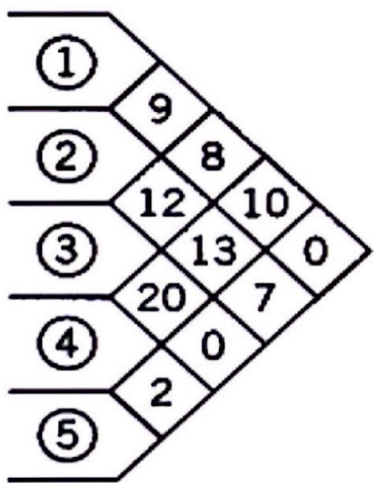
$A = 200 \times 200$

$D = 200 \times 200$

$C = 600 \times 600$

→ square

Graph-based Method

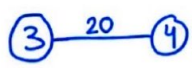


(a) Relationship Chart

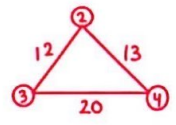
(b) Relationship Diagram

Figure 6.12 Relationship chart and relationship diagram for graph-based example.

	3	4	Sum
1	8	10	18
2	12	13	25
5	0	2	2

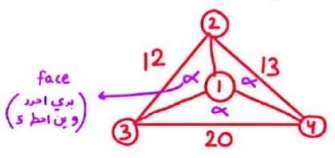


my goal is to maximize flow or maximize weight



	2	3	4	Sum
1	9	8	10	27
5	7	0	2	9

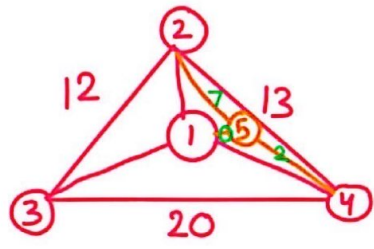
the best
الحد الأقصى
الواحد



	1	2	3	4	Sum
5	0	7	0	2	

Faces	
1-2-3	7
1-2-4	9
1-3-4	2
2-3-4	9

I have two alternatives (I choose any of them)



وآخر اشي بعمل
Block Layout

Pairwise Exchange Method

→ improvement type Layout
→ Leads to suboptimal solution

* Example

From to chart (without taking direction into consideration)

	1	2	3	4
1	-	10	15	20
2		-	10	5
3			-	5
4				-

Distance Matrix (based on existing Layout)

	1	2	3	4
1	-	1	2	3
2		-	1	2
3			-	1
4				-

- Phase (1) construct phase initial solution (1, 2, 3, 4)
- Phase (2) Improvement pair-wise exchange
 - (a) exchange two departments
 - (b) if results in better solution → accept
 - ↪ back to (a)

a) iteration 0 1 2 3 4

original $TC_{1234} = 10(1) + 15(2) + 20(3) + 10(1) + 5(2) + 5(1) = 125$

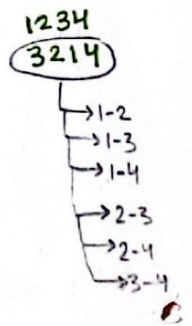
1-2 $TC_{2134} = 10(1) + 15(1) + 20(2) + 10(2) + 5(3) + 5(1) = 105$

1-3 $TC_{3214} = 10(1) + 15(2) + 20(1) + 10(1) + 5(2) + 5(3) = 95$ 95 smallest value

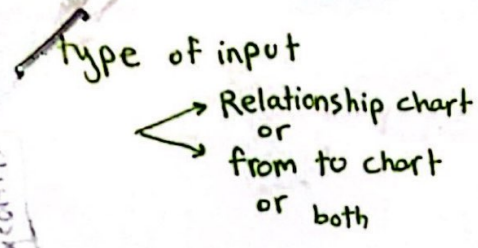
1-4 $TC_{4231} = 10(2) + 15(1) + 20(3) + 10(1) + 5(1) + 5(2) = 120$

2-3 $TC_{1324} = 10(2) + 15(1) + 20(3) + 10(1) + 5(1) + 5(2) = 120$

2-4
3-4



iteration 1 3 2 1 4



Algorithm Classification

the basis of layout planning is the closeness ratings material flow intensities

Avoid splitting departments (Avoid void)

Helpful in comparing two or more alternate layouts but it disregards the distance or separation between non-adjacent departments

* Layout Algorithms can be classified according to (their objective function):

① Minimize the sum of flows times distance (Distance based scoring)

$$\text{Min } Z = \sum_{i=1}^m \sum_{j=1}^m f_{ij} c_{ij} d_{ij}$$

f_{ij} : flow (from to chart)
 c_{ij} : cost
 d_{ij} : distance (Manhattan Matrix)

② Maximize the closeness (adjacency) (Adjacency scoring)

$$\text{Max } Z = \sum_{i=1}^m \sum_{j=1}^m f_{ij} X_{ij}$$

f_{ij} : Relationship value between I and J
 X_{ij} : Binary variable (1 if adjacent, 0 not adj.)

Efficiency Rating

$$Z = \frac{\sum_{i=1}^m \sum_{j=1}^m f_{ij} X_{ij}}{\sum_{i=1}^m \sum_{j=1}^m f_{ij}}$$

based on relationship chart or relationship diagram

* Layout Algorithms can be classified according to (the format of layout representation):

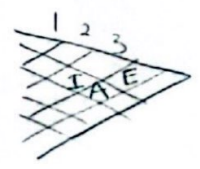
- ① Discrete Representation
- ② Continuous Representation

* Layout Algorithms can be also classified according to (their primary function):

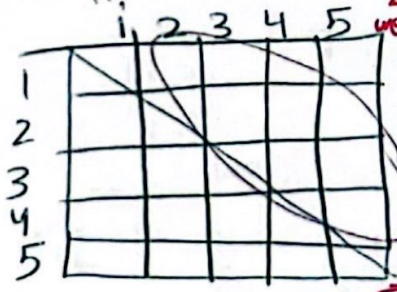
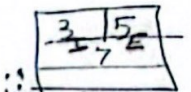
- ① improvement type Algorithms
- ② construction type Layout Algorithms

Adjacency based scoring

Relationship chart



Layout



adj
 $Z = \sum f_{ij} X_{ij}$
 weights
 dep. adj.
 only

Total score

x → very large negative

Distance based Scoring

centroid (نقطه تركز) for each department

② Distance Data (d_{ij})

From to	A	B	C	D
A	-			
B		-		
C			-	
D				-

$$|x_i - x_j| + |y_i - y_j|$$

③ Flow Data



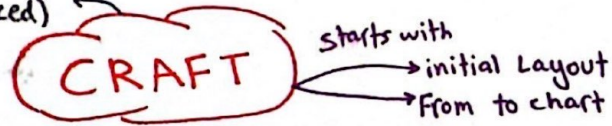
Lower upper matrix

④ Total Score (cost) Z → $\sum f_{ij} d_{ij} c_{ij}$

	A	B	C	D	Total
A	-				*
B		-			*
C			-		*
D				-	*

Total

is an improvement method
(computerized)



1) determine departments centroids.

2) calculate rectilinear distance between centroids.

rectilinear distance $\Rightarrow D = |x_i - x_j| + |y_i - y_j|$

3) calculate transportation cost of the layout.

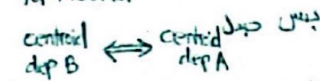
↳ transportation cost = flow x unit cost x distance

$$\text{Min } z = \sum_{i=1}^m \sum_{j=1}^m f_{ij} c_{ij} d_{ij}$$

4) consider department exchanges of either equal area departments or departments sharing a common border.

5) determine the estimated change in transportation cost of each possible exchanges.

لغة نظرية باراج اعتراد
for the area



transportation cost يعني نختار اقل

6) select and implement the departmental exchange that offers the greatest reduction in transportation cost.

7) Repeat the procedure for the new layout until no interchange is able to reduce the transportation cost.