

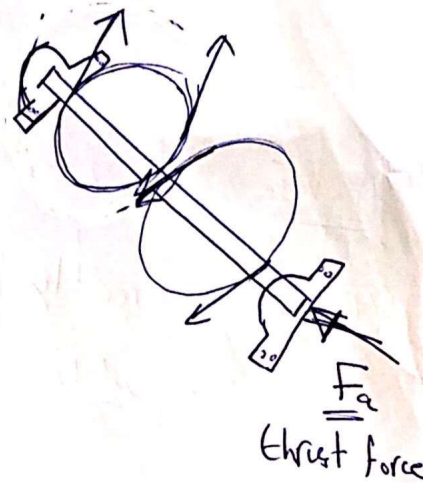
6- calculate F_e at new $i = 2$

7- $C_0 =$, ~~is~~^{is} this the same bearing as
before? if yes stop, if no do this again.

↓
the one directly before it, & we do
this for $i-1$

Selecting the right bearing

Radial and thrust forces



① We do everything I wrote having a radial force.

② We do not find C_{10} just yet, we go to

$$F_e = X_i \sqrt{F_r} + Y_i F_a \rightarrow \text{thrust force.}$$

\downarrow
 use reaction force of the bearing $i=1$ to thrust force

1- use $i=2$ $X_2 = 0.56$ $Y_2 = 1.63$ at first.

2- C_{10} at this value, $C_{10} = \text{at } F_e \left(\frac{X_D}{X_0 + (\theta - X_0)(1 - R_D)} \right)^{\frac{1}{a}}$

3- $\frac{F_a}{C_{10}}$ get this from C_{10}

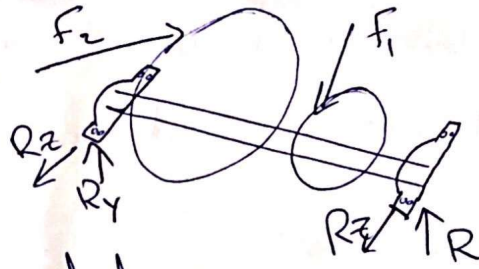
4- e at this value

$\frac{F_a}{\sqrt{F_r}} < e$ $i=1$
 $\frac{F_a}{\sqrt{F_r}} > e$ $i=2 \rightarrow$ at what value?

⑤ We end up using Goodman failure criterion n and see if it fails or not.

Shaft design :

Failure-fatigue analysis:



① We first begin as we did

in chapter 11, $\sum T = 0$ $\sum M = 0$ $\sum F = 0$
to find reactions of bearings and force values.

② We make a shear + moment diagrams
for all forces, we find in y direction, and z
direction.

③ We find from the diagrams the point on
which has maximum stress ν
and find $M_a = \sqrt{M_{y_{max}}^2 + M_{z_{max}}^2}$ on that point.

$$T_m = r \times F$$

④ We begin with Ch6 moves until we
get to K_f , K_{fs} and find them.

③ ~~R_1~~ $R_1 = \sqrt{R_{1y}^2 + R_{1z}^2}$

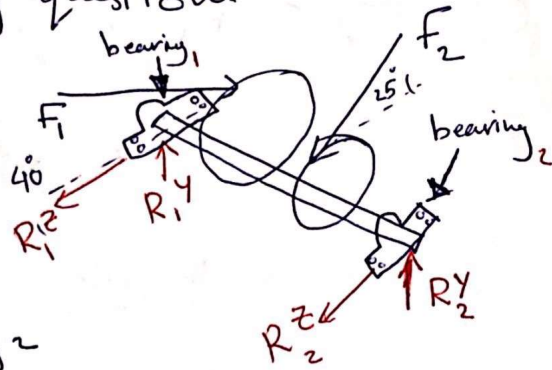
$$R_2 = \sqrt{R_{2y}^2 + R_{2z}^2}$$

We take larger, and this is F_D "

④ C_{10} then table 11-2.

Solving a gear-bearing question:

Selecting the right bearing:
Only radial force



$$\textcircled{1} R_{\text{system pair}} = R_{\text{bearing 1}} \times R_{\text{bearing 2}}$$

$$\sqrt{R_{\text{system}}} = R_{\text{of one bearing}} \text{ (what } C_{10} \text{ equation will you use?)}$$

$$\textcircled{2} \sum T = 0 \text{ around shaft}$$

$$\left. \begin{array}{l} \sum M^y = 0 \text{ on one of the bearings (we look at forces} \\ \text{in } z \text{ direction) + use reaction } \end{array} \right\} \begin{array}{l} \sum M^z = 0 \text{ on one of bearings (we look at forces} \\ \text{in } y \text{ direction) +} \\ \text{use reactions } \end{array}$$

$$\left. \begin{array}{l} \sum F^y = 0 \\ \sum F^z = 0 \end{array} \right\}$$

$$T = \underset{\substack{\downarrow \\ \text{on what} \\ \text{it is going around}}}{r} \times F, \quad M = \underset{\substack{\downarrow \\ \text{to where it} \\ \text{will bend about}}}{r} \times F$$

$$\hat{i} \times \hat{j} = \hat{k}, \quad \hat{j} \times \hat{k} = \hat{i}, \quad \hat{k} \times \hat{i} = \hat{j}$$

if for example the bending moment goes around z axis then its initial stress should be:

$$\sigma_{xx} \text{ or } \sigma_{yy} = \frac{Mz}{I_{zz}} y \text{ (r in case of rod)}$$

σ_{xx}
or σ_{yy}
of ~~shear~~
normal stresses

} if any are both in xx or yy
You can sum them up.

$$\tau_{\max} \text{ (from torque)} = \frac{T r}{J}$$

after this, you should be able to find max shear stress,
you can also find principal stresses:

$$\sigma_{1,2} = \frac{\sigma_x + \sigma_y}{2} \pm \sqrt{\left(\frac{\sigma_x - \sigma_y}{2}\right)^2 + \tau_{xy}^2}$$

and θ_s , θ_p , and $\sigma_{\text{avg}} = \frac{\sigma_x + \sigma_y}{2}$

Lastly, you could get asked about Mohr's circle which is on OneNote.

A Summary For what we have learnt from
Ch 1 \Rightarrow Ch 3-5 \rightarrow 3-12 \Rightarrow Ch 5 von mises + Tresca.

\downarrow
 You might get asked
 to find FOS or reliability
 using data given.

\downarrow
 asked about
 maximum shear
 stress and principal
 stresses.

1] Find critical section, which will be furthest away from forces, and has the least diameter or size, and will not be at the neutral axis N.A of this section.

2] We want to find the forces given on every "حالة تغير" in the bar/rod to see what kind of moment they make, is it bending or torque? using

$M / T = \vec{r} \times \vec{F}$ depending on the direction \vec{z}
 take the whole distance.

3] Using right hand rule, we use our thumb as direction to see how this moment is so we can know what we need to know about σ, τ

4]
$$\tau_{\max \text{ shear}} = \sqrt{\left(\frac{\sigma_x - \sigma_y}{2}\right)^2 + \tau_{xy}^2}$$

\downarrow
 we consider these
 bending moment +
 normal forces

\downarrow
 we consider this
 shear stress from
 torque.